CS 194: Distributed Systems Security

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Attacks

- Interception (eavesdropping): unauthorized party gains access to service or data
- Interruption (denial of service attack): services or data become unavailable
- Modification: unauthorized party changes the data or tampers with the service
- Fabrication: unauthorized party generate additional data or activity

2

4

Security Requirements

- Authentication: ensures that sender and receiver are who they are claiming to be
- Data integrity: ensure that data is not changed from source to destination
- Confidentiality: ensures that data is red only by authorized users
- Non-repudiation: ensures that the sender has strong evidence that the receiver has received the message, and the receiver has strong evidence of the sender identity (not discussed here)
 - The sender cannot deny that it has sent the message and the receiver cannot deny that it has received the message

3

1

• Cryptographic Algorithms (Confidentiality and Integrity) • Authentication

















Generating Public and Private Keys

- Choose two large prime numbers p and q (~ 256 bit long) and multiply them: n = p * q
- Chose encryption key *e* such that *e* and (*p*-*1*)*(*q*-*1*) are relatively prime
- Compute decryption key d, where
 d = e⁻¹ mod ((p-1)*(q-1))
 (equivalent to d*e = 1 mod ((p-1)*(q-1)))
- Public key consist of pair (n, e)
- Private key consists of pair (n, d)

RSA Encryption and Decryption

14

16

- Encryption of message block m:
 c = m^e mod n
- Decryption of ciphertext c:
 m = c^d mod n

Example (1/2)

- Choose p = 7 and $q = 11 \rightarrow n = p^*q = 77$
- Compute encryption key e: (p-1)*(q-1) = 6*10 = 60 → chose e = 13 (13 and 60 are relatively prime numbers)
- Compute decryption key d such that $13^*d = 1 \mod 60 \rightarrow d = 37 (37^*13 = 481)$

Example (2/2)

- n = 77; e = 13; d = 37
- Send message block m = 7
- Encryption: c = m^e mod n = 7¹³ mod 77 = 35
- Decryption: m = c^d mod n = 35³⁷ mod 77 = 7

15

13



Properties

- Confidentiality
- A receiver B computes n, e, d, and sends out (n, e)
 Everyone who wants to send a message to A uses (n, e) to encrypt it
- How difficult is to recover *d* ? (Someone that can do this can decrypt any message sent to *B*!)
- Recall that
 - $d = e^{-1} \mod ((p-1)^*(q-1))$
- So to find d, you need to find primes factors p and q
 This is provable very difficult



































- A client issues a request to a group of replicated servers
- Servers can be subject to Byzantine failures
- · How does the client gets the answer?



- Servers gets replies from all servers...
- ... and take majority voting
- Problem: client needs to authenticate each server (violates replication transparency)

36

Page 6



- Secret sharing: none of users know the entire secret
- Intuition:
 - Assume we want to tolerate c failures (some of them can by Byzantine failures)
 - Need to combine responses such that c+1 correct servers are sufficient to get the correct response

37

(k,n)-threshold Signature Scheme

- One public key K⁺
- n shares of corresponding private keys, K_i, 1 <= i <= n
- Encrypted value v with each of private key shares, i.e., $v_i\!=\!K_i^-(v)$
- A client can decrypt value v using K^+ only if it knows at least k values of $v_{\rm i}$

