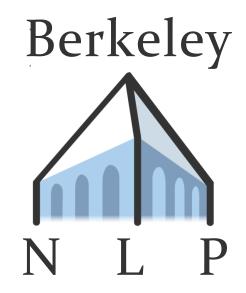
Grounded Semantics



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What does the world look like?

HAL'open' Bowman'close' podBayDoors'



Today's plan

1. How do we relate language to a richer representation of the world?

2. How do we learn meanings without annotated logical forms?



Today's plan

Open the pod bay doors, HAL



open(HAL, podBayDoors)







Today's plan

Grounded

Formal semantics:

How do we learn the relationship between text and logical forms?

the world



Three approaches

1. Learning with hardcoded predicates

2. Jointly learning parsers and classifiers

3. Learning a policy directly



Hard-coded predicates

Don't forget:

the λ -calculus is a programming language!

```
final Entity HAL = ...
Entity podBayDoors = ...
void open(Entity opener, Entity opened) {
   ...
}
```



Hard-coded predicates

Given full supervision we can immediately execute output from our semantic parser.

```
final Entity HAL = ...
Entity podBayDoors = ...
void open(Entity opener, Entity opened) {
   ...
}
```



Hard-coded predicates

Open the pod bay doors, HAL



open(HAL, podBayDoors)







Can we use the ability to execute predicted parses to learn with weaker supervision?



Can we use the ability to execute predicted parses to learn with weaker supervision?

Before:

Open the pod bay doors

close(HAL, podBayDoors)

open(HAL, podBayDoors)

observe text

open(HAL, podBayDoors)

incur loss



Can we use the ability to execute predicted parses to learn with weaker supervision?

Before:

Open the pod bay doors

open(HAL, podBayDoors)

open(HAL, podBayDoors)

observe text

open(HAL, podBayDoors)

observe text

open(HAL, podBayDoors)

0.0 incur loss



Can we use the ability to execute predicted parses to learn with weaker supervision?

Now:

```
Open the pod bay doors

close(HAL, podBayDoors)

doorsClosed = true

doorsClosed = false

1.0

observe text

predict LF

predicted outcome

desired outcome
```



Recall our previous training procedure.

Structured perceptron update:

$$\theta^{t+1} = \theta^t + \Phi(x, y) - \Phi(x, \hat{y})$$

where

$$\hat{y} = \underset{y}{\operatorname{arg\,max}} \ \theta^{\top} \Phi(x, y)$$



Now only supervision is an outcome z.

Structured perceptron update:

$$\theta^{t+1} = \theta^t + \Phi(x, y^*) - \Phi(x, \hat{y})$$

where

$$\hat{y} = \underset{y}{\operatorname{arg max}} \quad \theta^{\top} \Phi(x, y)$$

$$y^{*} = \underset{y: \operatorname{exec}(y) = z}{\operatorname{arg max}} \quad \theta^{\top} \Phi(x, y)$$



```
close(HAL, podBayDoors) \hat{y}
open(HAL, podBayDoors) y^*
open(HAL, cockpitDoors)
make(HAL, sandwich, Dave)
...
smash(HAL, podBayDoors, filingCabinet) y^*
```



Open the pod bay doors, HAL



open(HAL, podBayDoors)







What can we do with this?

Learn to answer questions given only (question, answer) pairs and a database of facts [Liang et al. 2011 & various others]

Learn to follow directions given only (source, pairs) and a model environment

[Chen & Mooney 2011, Artzi & Zettlemoyer 2013]



What if the world doesn't look like a database underneath?

Open the elevator doors, HAL





$$f(podBayDoors) = true$$

door	podBayDoor, elevatorDoor1, cockpitDoor,
window	bridgeWindow, bathroomWindow,
isOpen	podBayDoor, bathroomWindow



$$f\left(\begin{array}{c} \\ \\ \\ \\ \end{array} \right) = \mathsf{true}$$



$$f\left(\begin{array}{c} \end{array} \right) = \mathsf{true}$$



$$f\left(igcircl{ }
ight) = ext{false}$$



Fixed inventory of functions



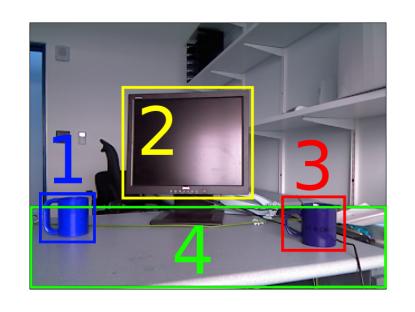
Fixed inventory of functions

One function per word

door door': Image → Boolean

in in': (Image, Image) → Boolean



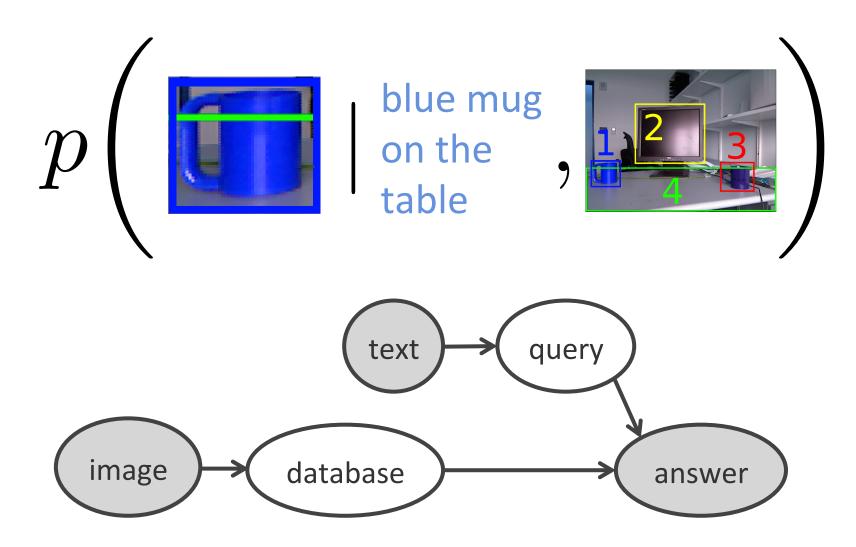


blue	1
mug	1, 3
on	(1,4), (2,4), (3,4)
table	4

blue mug on the table

 $\lambda x. \exists y. blue(x) \wedge table(y) \wedge on(x, y)$





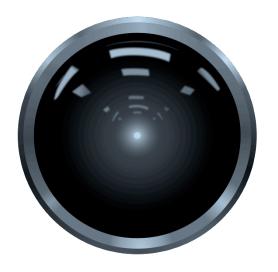


Can even learn to compose these grounding functions:

a blue eye

a dark blue eye

a dark pastel blue eye





The picture so far

```
Open the pod bay doors

close(HAL, podBayDoors)

doorsClosed = true

doorsClosed = false

1.0

observe text

predict LF

desired outcome

incur loss
```



The picture so far

Open the pod bay doors

observe text

```
doorsClosed = true
doorsClosed = false
1.0
```

desired outcome

incur loss



Learning a conditional policy

Learn an intermediate meaning representation $p(\text{result}|\text{text}) = \sum_{\text{MR}} p(\text{result}|\text{MR}) \ p(\text{MR}|\text{text})$

Learn p(result|text) directly



MDP refresher

- Set S of states
- Set A of actions
- Transition function T : (S x A) → S
- Reward function R : $(S \times A) \rightarrow \mathbb{R}$

Lots of algorithms for *learning* a policy $\pi: S \rightarrow A$ given only black-box interaction



Idea: augment base MDP state space with position in document.

Open the pod bay doors after making me a sandwich

```
{sandwich=true, doorOpen=true},
{sandwich=true, doorOpen=false},
```

```
{ sandwich=true, doorOpen=false
  text=Open the pod bay doors after making me a sandwich }
```



Now just want to pick

$$f(\text{ sandwich=true, doorOpen=false text=} \text{Open the pod bay doors after making me a sandwich}) \in \{a_1,a_2,\ldots\}$$

maximizing reward.

Use your favorite policy learning technique!



We get pragmatics for free: easy to learn that

Open the pod bay doors
I want you to open the pod bay doors
I'm ready to come inside now

prefer destination states with {doorOpen = true}



But less clear how to handle composition (syntactic or semantic) in this framework:

Open the red door located between two small doors.

Need some way of handling structured action spaces that don't correspond to syntax.



What else is hard?

Event compositionality and coreference:

- 1. Before disassembling your iPhone, be sure it is powered off
- 2. Remove the two 3.6mm Pentalobe or Phillips #000 screws next to the dock connector

• • •

27. Use the clear plastic pull tab to gently lift the battery out of the iPhone

•••

- 59. De-route the digitizer and LCD cables through the steel inner frame, and remove the display from the iPhone
- 60. To reassemble your device, follow these instructions in reverse order.



Summary

 Grounding relates language to a model environment with more (or different) structure than formal calculus

 Lots of tools for using environment models to learn semantics without annotated logical forms

Question time

